

MSc CGVI Final Project

Relighting for 2D Copy & Paste

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Relighting for 2D Copy & Paste Introduction

After Copy & Paste: Raccoon seems out of place.

- Estimate normals
- Estimate shading on roman statue
- Transfer shading

The result looks more plausible. Almost no user

interaction. Suitable for unskilled user.

More Applications: Insert 3D Models, Detect Tampering

Introduction	Raccoon Copy&Paste Use Case
Related Work	Render into Photographs Estimate Lighting and Geometry
Method	The Shading Sphere Model Shape Inflation Shading Sphere Estimation Shape Refinement
Results	Relighting of 2D Layers and 3D Models Tampering Detection Benchmark Results
Conclusion	Discussion, Summary, Outlook

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Related Work



Rendering Synthetic Objects into Real Scenes [Debevec 1998]



This paper introduced idea of "rendering into photographs".

Difference to our work:

- **Geometry:** We do not render 3D models, but 2D images.
- Lighting: We estimate shading from image, Debevec captures with light probe.

SIRFS (Shape, Illumination, and Reflectance from Shading) [Barron and Malik 2013]



Differences to our work:

- SIRFS focuses on Computer Vision; we focus on Computer Graphics applications.
- SIRFS is one monolithic optimization; we perform each step independently.
- Our algorithm runs factor 5 faster.

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Relighting Method



The Shading Equation

General Reflectance Equation

$$L(\vec{x}, \vec{\omega}_o) = \int_{\Omega_{\mathcal{H}}} f_r(\vec{x}, \vec{\omega}_i, \vec{\omega}_o) \ L(\vec{x}, \vec{\omega}_i) \ \vec{n} \cdot \vec{\omega}_i \ \mathrm{d}\vec{\omega}_i$$

becomes with assumptions

- Spatially constant illumination
- Orthographic projection
- Can factor BRDF

$$L(\vec{x}, \vec{n}) = \rho(\vec{x}) \int_{\Omega_{\mathcal{H}}} f'_r(\vec{\omega}_i) \ L(\vec{\omega}_i) \ \vec{\omega}_i \cdot \vec{n} \ \mathrm{d}\vec{\omega}_i$$
$$= \rho(\vec{x}) \mathcal{S}(\vec{n})$$

... with Reflectance Image $ho(ec{x})$

Shading Sphere
$$\, {\cal S}({ec n}) \,$$

and Geometry \vec{n}

Relighting Pipeline Overview



Inflation Based on Variational Mesh Editing [Botsch et al. 2004]



Model as PDE $\Delta x = \kappa$, $v_i \in \Omega \setminus \partial \Omega$ x = 0, $v_i \in \partial \Omega$

and solve sparse linear system



with Laplace-Beltrami weights Δ .

Estimate Shading with Linear Regression



Fit weighting coefficients of spherical harmonic basis.

$$\hat{oldsymbol{ heta}} = rgmin_{oldsymbol{ heta}} \sum_i (\mathcal{S}(ec{n}_i,oldsymbol{ heta}) - s_i)^2$$

with shading sphere

$$\mathcal{S}(\vec{n}_i, \boldsymbol{\theta}) = \sum_{l=0}^{L} \sum_{m=-l}^{l} Y_{lm}(\vec{n}_i) \theta_{lm}$$

$$= \boldsymbol{Y}(\vec{n}_i)^T \boldsymbol{\theta}$$

Relighting Pipeline Overview



Refine Normals in Nonlinear Optimization



Refine each normal direction \vec{n}_i s.t.

$$\vec{n}_i = \arg\min_{\vec{n}_i} |\mathcal{S}(\vec{n}_i) - s_i|$$

Hard Problem:

- We need nonlinear optimization
- Will only find local minimum
- Much more unknowns than in shading estimation.

Relight object with Second Shading Sphere



Final steps

- Import second shading sphere
- Here, Pisa [Debevec 1998] environment.
- Evaluate shading equation $\rho(\vec{x}) \mathcal{S}(\vec{n})$

Result







Our Solution

Original

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Relighting the MIT Data Set – Benchmark Results





See Report for More Results



Rendering 3D Models



Tampering Detection



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Conclusion



Comparison to SIRFS

- Geometry estimates as good as state-of-the-art (SIRFS).
- Our algorithm is simpler.
- Our algorithm is faster.

Next Steps

- Normal refinement is hard.
- Normal discontinuities are often distracting.
- TODO: Smarter prior for normal field (Integrability, Smoothness).

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Bibliography

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Minimizers in Normal Refinement Lie on Isocontour

Every direction on isocontour is local minimizer

We need additional penalty term.

Current penalty:

• Angular distance to n₀

Smarter prior:

- Integrability
- Smoothness





Command Line



- -s <shading.png>
- -o <refined.png>

\$ reshade ...

Interactive GUI





Timing for Turtle Test Case

SIRFS: 4m40s

err =

grosse: 0.0682 shading: 0.0286 reflectance: 0.0155 normal: 0.4112 light: 0.0042 height: 17.0583 avg: 0.0980

>> state

state =

height:	[300x467 double]	
light:	[9x3 double]	
normal:	[300x467x3 double]	
shading:	[300x467x3 double]	
reflectance:	[300x467x3 double]	
final loss:	44.7568	
solve time:	281.9241	
reflectance exp:	[300x467x3 double]	
reflectance_max:	[300x467x3 double]	

We: 55s

Inflate & Shading	10s
First Refine	25s
Second Refine	20s
	55s

Note: Neither our code nor SIRFS is optimized for performance.

Tolerances in optimization have impact on convergence speed of both algorithms.